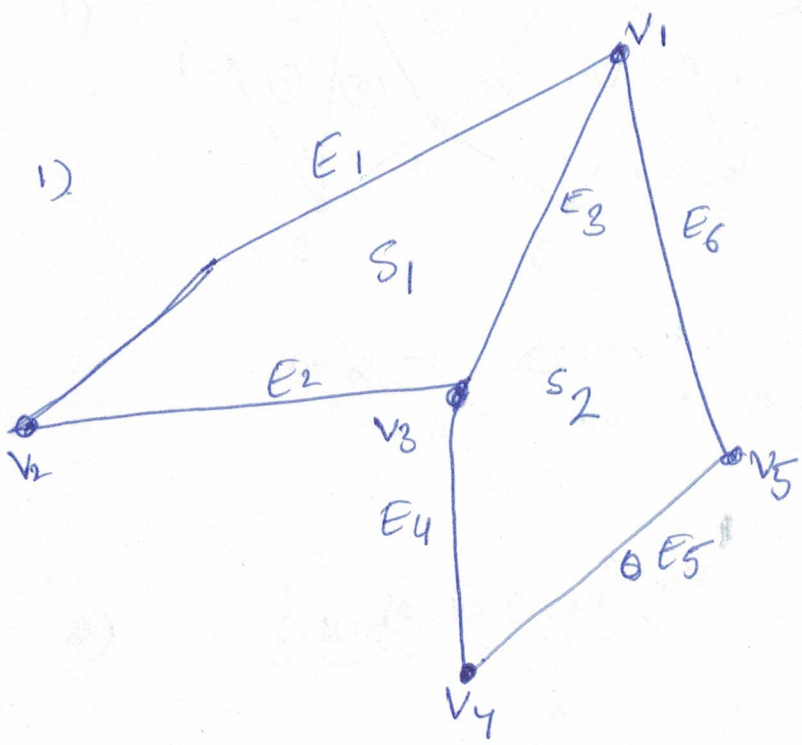


→ 3-D display methods:

- 1) Polygon surfaces-, tables, equations, meshes
- 2) Curved lines & surfaces
- 3) Quadric surfaces.



Vertex table

$V_1: x_1, y_1, z_1$
 $V_2: x_2, y_2, z_2$
 $V_3: x_3, y_3, z_3$
 $V_4: x_4, y_4, z_4$
 $V_5: x_5, y_5, z_5$

Polygon Surface:

$S_1: E_1, E_2, E_3$
 $S_2: E_3, E_4, E_5, E_6$

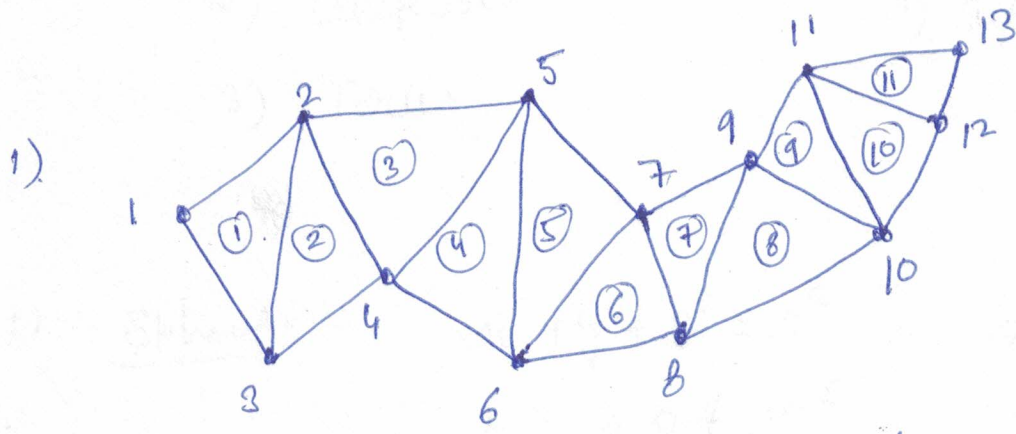
Edge Table:

$E_1: V_1, V_2$	S1
$E_2: V_2, V_3$	S1
$E_3: V_3, V_1$	S1, S2
$E_4: V_3, V_4$	S2
$E_5: V_4, V_5$	S2
$E_6: V_5, V_1$	S2

↑
Edge table for the surface

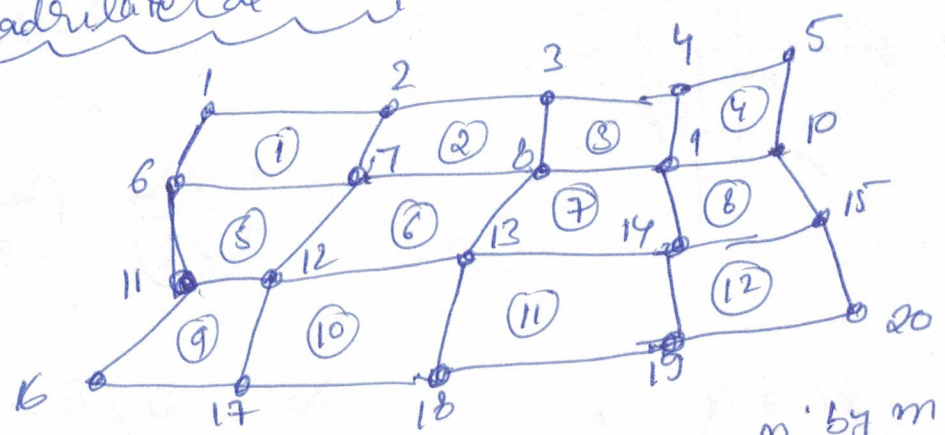
Polygon Meshes:

- 1) Triangle Strip
- 2) Quadrilateral Mesh



$n-2 \rightarrow$ connected triangles
 $n \rightarrow$ no of vertices

2) Quadrilateral Mesh:



$n=5$
 $m=4$
 n by m
 array of
 vertices

Generates
mesh $\Rightarrow (n-1)$ by $(m-1)$
 $\Rightarrow 4$ by $3 = 12$ Quadrilaterals

Quadratic Surfaces:

- 1) Sphere
- 2) Ellipsoid
- 3) Torus

Superquadrics

- 1) Superellipse
- 2) Superellipsoid

1) Sphere:

$$x^2 + y^2 + z^2 = a^2$$

$$-\pi/2 \leq \phi \leq \pi/2$$

$$x = a \cos \phi \cos \theta$$

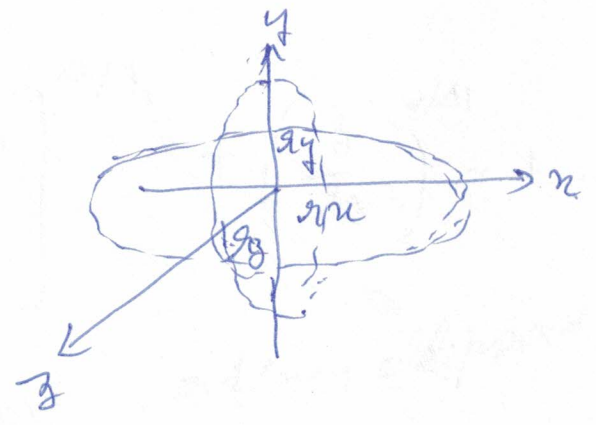
$$-\pi \leq \theta \leq \pi$$

$$y = a \cos \phi \sin \theta$$

$$z = a \sin \phi$$

2) Ellipsoid:

$$\left(\frac{x}{a_x}\right)^2 + \left(\frac{y}{a_y}\right)^2 + \left(\frac{z}{a_z}\right)^2 = 1$$



$$x = a_x \cos \phi \cos \theta$$

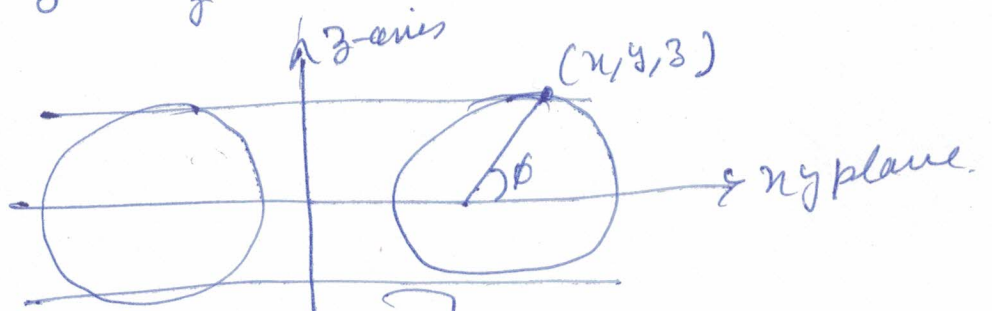
$$-\pi/2 \leq \phi \leq \pi/2$$

$$y = a_y \cos \phi \sin \theta$$

$$-\pi \leq \theta \leq \pi$$

$$z = a_z \sin \phi$$

3) Torus



$$\left(\frac{z}{r}\right)^2 = 1$$

$$x = r_x (\rho + \cos \phi) \cos \theta$$

$$y = r_y (\rho + \cos \phi) \sin \theta$$

$$z = r_z \sin \phi$$

$$-\pi \leq \phi \leq \pi$$

$$-\pi \leq \theta \leq \pi$$

4) Superellipse :

$$\left(\frac{x}{r_x}\right)^{2/s} + \left(\frac{y}{r_y}\right)^{2/s} = 1$$

$s \rightarrow$ any real value.

if $s=1$, ordinary ellipse.

5) Superellipsoid :

$$\left[\left(\frac{x}{r_x}\right)^{2/s_2} + \left(\frac{y}{r_y}\right)^{2/s_2} \right]^{s_1/s_1} + \left(\frac{z}{r_z}\right)^{2/s_1} = 1$$

if $s_1 = s_2 = 1$, ordinary ellipsoid.