

* Syntax-Directed Definition (SDD) :-

SDD = CFG + Semantic Rules

- A SDD is a Context free grammar together with Semantic Rules.
- Attributes are associated with grammar symbols and semantic rules are associated with productions.
- if 'x' is a symbol and 'a' is one of its attributes then x.a denotes value at node x.
- Attributes may be number, strings, references, datatype, etc.

Production

$E \rightarrow E + T$

$E \rightarrow T$

Semantic Rule

$E.val = E.val + T.val$

$E.val = T.val$

→ grammar.s/b.

⇒ Types of Attribute :-

① Synthesized Attribute :- if a node takes value from its children then it is synthesized attribute.

eg:- $A \rightarrow BCD$, A be a parent node, B, C, D are children nodes.

$A.S = B.S$

$A.S = C.S$

$A.S = D.S$

} Parents node A taking value from its children, B, C, D.

② Inherited Attribute :- if a node takes value from its parent or siblings.

eg:- $A \rightarrow BCD$

$C.i = A.i$ → Parent node.

$C.i = B.i$ → Siblings

$C.i = D.i$ → ,

* Types of Syntax Directed Definition (SDD) :-

- ① S-Attributed SDD or S-Attributed Definitions or S-Attributed Grammar.
- ② L-Attributed SDD or L-Attributed Definitions or L-Attributed Grammar.

S-Attributed SDD

① A SDD that uses only synthesized attributes is called as S-Attributed SDD.

Ex:- $A \rightarrow BCD$
 $A \cdot S = B \cdot S$
 $A \cdot S = C \cdot S$
 $A \cdot S = D \cdot S$

② Semantic Action are always placed at right end of the production it is also called as "postfix SDD"

③ Attributes are evaluated with Bottom-up parser.

L-Attributed SDD

① A SDD that uses both Synthesized & Inherited Attributes is called as L-Attributed SDD but each inherited attribute is restricted to inherits from parent or left sibling only.

Ex:- $A \rightarrow XYZ$ $\{ y \cdot S = A \cdot S, y \cdot S = X \cdot S$
 $\{ y \cdot S = X \cdot S, y \cdot S = Z \cdot S \}$

② Semantic actions are placed anywhere on R.H.S.

③ Attributes are evaluated by traversing parse Depth first, left to right order.

* Syntax Directed Translation (SDT)

SDT = Grammar + Semantic Rule

↓
informal notations.

* In SDT, Every non-terminals can get '0' zero or more attributes. (depending on the type of attributes.)

* In semantic rule, attribute is value & attributes can hold

- String
- No.
- Memory locations.

} it is represented as Val.

Example:- Production

$E \rightarrow E + T$

$E \rightarrow T$

$T \rightarrow T * F$

$T \rightarrow F$

$F \rightarrow \text{Num}$

Semantic Rule (Action)

$E.val = E.val + T.val$

$E.val = T.val$

$T.val = T.val * F.val$

$T.val = f.val$

$f.val = \text{num. line val.}$

↓
attribute Return by LA.

* Syntax Directed Translation Scheme:-

- * The Syntax Directed Translation scheme is a CFG.
- * It is used to evaluate the order of semantic rules
- * In translation scheme the semantic rules are embedded within the right side of the production.
- * The position at which an action is to be executed is shown by enclosed by braces. It is written within the right side of the production.

Example:-

<u>Production</u>	<u>Semantic Rules</u> → Action
$S \rightarrow E \$$	$\{ \text{Print } (E.val) \}$ → Print
$E \rightarrow E + E$	$\{ E.val = E.val + E.val \}$
$E \rightarrow E * E$	$\{ E.val = E.val * E.val \}$
$E \rightarrow (E)$	$\{ E.val = E.val \}$
$E \rightarrow I$	$\{ E.val = I.val \}$
$I \rightarrow I \text{ digit}$	$\{ I.val = 10 * I.val + \text{Lex Val} \}$
$I \rightarrow \text{digit}$	$\{ I.val = \text{Lex val} \}$

⊗ Implementation of Syntax directed translation:-

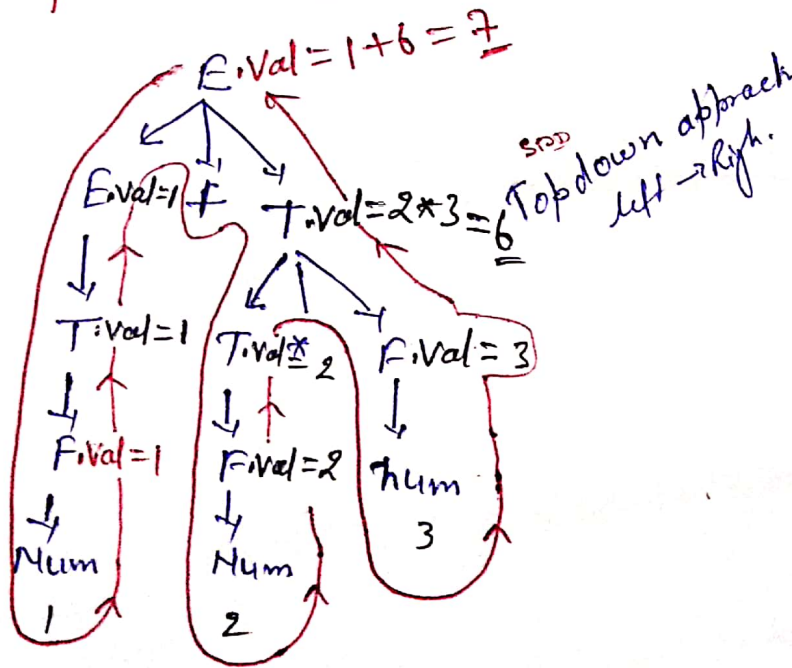
- ⊗ SDT is implemented by constructing a parse tree and performing the actions in a left to right depth first order.
- ⊗ SDT is implementing by parse the input and a parse tree as a result.

Example:-

G.	Action
$E \rightarrow E + T$	$\{ E.val = E.val + T.val \}$
$E \rightarrow T$	$\{ E.val = T.val \}$
$T \rightarrow T * F$	$\{ T.val = T.val * F.val \}$
$T \rightarrow F$	$\{ T.val = F.val \}$
$F \rightarrow \text{num}$	$\{ F.val = \text{num}, \text{line val} \}$

for this

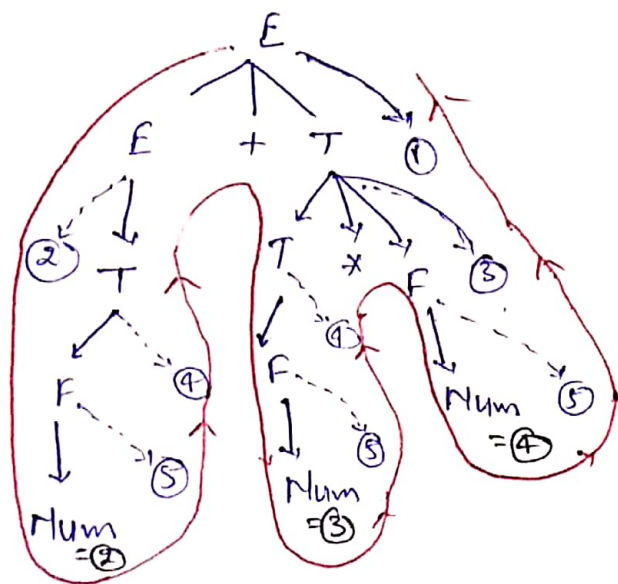
eg:- $1 + 2 * 3$



* Top Down Approach / Top Down Translation Approach *

<u>Production</u>	<u>Semantic Rule</u>
$E \rightarrow E + T$	$\{ E.val = \{ E.val + T.val \}$ — ①
$E \rightarrow T$	$\{ E.val = \{ T.val \}$ — ②
$T \rightarrow T * F$	$\{ T.val = \{ T.val * F.val \}$ — ③
$T \rightarrow F$	$\{ T.val = \{ F.val \}$ — ④
$F \rightarrow Num$	$\{ f.val = \{ Num.ln.val \}$ — ⑤

i/p String - $2 + 3 * 4$ (Top down) = 14

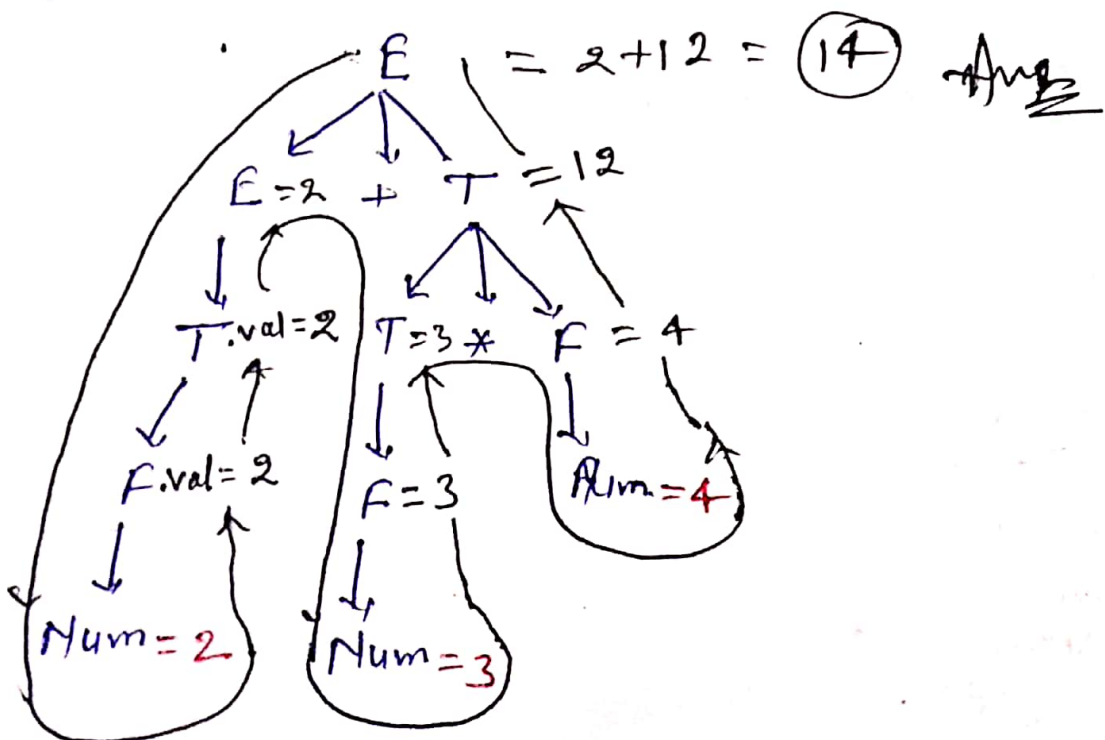


- ① $f.val = 2$
- ② $T.val = f.val = 2$
- ③ $E.val = T.val = 2$
- ④ $F.val = T.val * f.val = 2 * 4 = 8$
- ⑤ $T.val = f.val = 3$
- ⑥ $f.val = Num.ln.val = 4$
- ⑦ $T.val = T.val * f.val = 3 * 4 = 12$
- ⑧ $E.val = E.val + T.val = 2 + 12 = 14$ Ans

* Bottom Up Approach :-

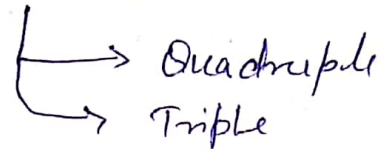
- $E \rightarrow E + T$ ① $\{ E.val = \{ E.val + T.val \}$
- $E \rightarrow T$ ② $\{ E.val = \{ T.val \}$
- $T \rightarrow T * F$ ③ $\{ T.val = \{ T.val * F.val \}$
- $T \rightarrow F$ ④ $\{ T.val = \{ F.val \}$
- $F \rightarrow Num$ ⑤ $\{ F.val = \{ Num.val \}$

ex string $2 + 3 * 4 = 14$



* Intermediate Code Generation :-

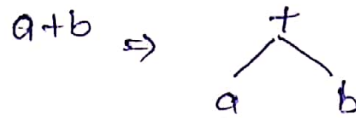
- ① Post fix Notation
- ② Syntax Tree
- ③ Three Address Code.



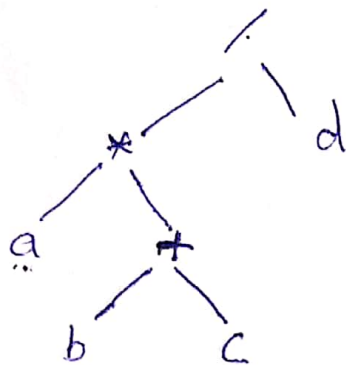
* Post fix Notation :-

eg	<u>infix</u>	<u>Prefix</u>	<u>Post fix</u>
	= a+b	+ab	ab+
	= (a+b)*c		ab+c*

* Syntax Tree



a*(b+c)/d ⇒

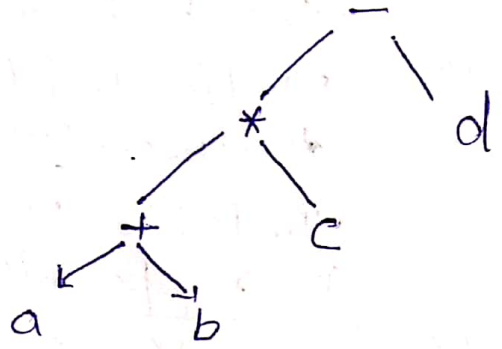


Syntax tree

~~infix: Left, Right~~
~~Prefix: Left, Right~~

infix! - a*b+c/d
Prefix! - /*a+bcd
Postfix! - abc+*d/

⊗ $(\underline{(a+b)*c})-d$



Prefix :- *+abcd

Postfix :- ab+c*d-

* Three Address Code:-

Types of Three Address Statement

- ① logic and Binary operator $x := y \text{ op } z$
- ② Unary operator $x := \text{op } y$
- ③ Copy Statement $x := y$
- ④ Procedure Call parameter y , parameter x
- ⑤ Index Assignment $x = y[i]$
 $x[i] = y$
- ⑥ Conditional jump if $x \text{ relop } y$ goto label
- ⑦ Address and pointer $x = \&y$
 $x = *y$

* Implementation of Three Address Code:-

There are two methods

- ① Quadruple
- ② Triple

⇒ Quadruple

⇒ Argument 1, Argument 2, operator, result
(arg1, arg2, op, result)

eg:- $a = b * -c + b * -c$

First convert in 3 address form.

$$\begin{array}{ll} t_1 = -c & \text{--- (0)} \\ t_2 = b * t_1 & \text{--- (1)} \\ t_3 = -c & \text{--- (2)} \\ t_4 = b * t_3 & \text{--- (3)} \\ \boxed{t_5 = t_2 + t_4} \Rightarrow a = t_5 & \text{--- (4) } \rightarrow (1) \end{array}$$

Quadruple:-

	operator (op)	argument (arg1)	Argument2 (arg2)	Result
(0)	Unary(-)	c		t1
(1)	*	b	t1	t2
(2)	Unary(-)	c		t3
(3)	*	b	t3	t4
(4)	+	t3	t4	t5
(5)	Assign	t5		a

Triple:- (operator, argument 1, argument 2) => (op, arg1, arg2)

	operator (op)	Argument (arg1)	Argument2 (arg2)
(0)	Unary(-)	c	
(1)	*	b	(0)
(2)	Unary(-)	c	
(3)	*	b	(2)
(4)	+	(1)	(3)
(5)	Assign	a	(5)

* DAG Representation: (Directed Acyclic Graph)

- DAG stand for Directed Acyclic Graph
- Syntax tree and DAG both are graphical representation. Syntax tree does not find the common sub expressions where as DAG can.
- Another usage of DAG is the application of optimization technique in the basic block.
- To apply optimization technique on basic block, DAG is constructed three address code which is the output of an intermediate code generation.

⇒ Algorithm for Construction of DAG:-

Input:- It contains a basic block

Output:- it contains the following information

→ Each node contains a label. for leaves, the label is an identifier.

→ Each node contains a list of attached identifiers to hold the computed values.

Case (i):- $x := y \text{ op } z$

Case (ii):- $x := \text{op } y$

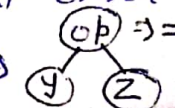
Case (iii):- $x := y$

Methods:-

Step 1:- if y operand is undefined then create node(y).

if z operand is undefined then for Case (i) create node(z).

Step 2:- for Case (i):- Create node(op) whose right child is node (z) and left child is node (y). : $x := y \text{ op } z \Rightarrow$

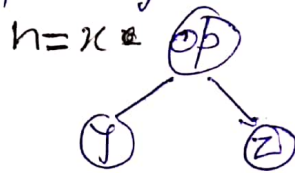


for case (ii):. check whether there is node (op) with one child node (y). $x = op.y$

for case (iii):. node n will be (y). , $x = y$.

~~Step 3~~ :-

Output :- for node (x) delete x from list of identifiers.
Append x to attached identifiers list for the node n found in step 2. finally set node (x) to n.



DAG - Example

eg:-

$$a = b * c$$

$$d = b$$

$$e = d * c$$

$$b = e$$

$$f = b + c$$

$$g = ~~f~~ d + f$$

Sol'n :- ?

⊗ Translation of Assignment Statements: -

In SDT, assignment statement is mainly deals with expressions. The expression can be of type real, integer, array & records

eg:- $S \rightarrow id := E$

$E \rightarrow E_1 + E_2$

$E \rightarrow E_1 * E_2$

$E \rightarrow (E_1)$

$E \rightarrow id$

Solⁿ:

The translation scheme of this grammar is:

Production Rule + Semantic actions

① $S \rightarrow id := E$

```
{ P = look_up (id.name);  
  suppose  
  if P ≠ nil then  
    Emit (P = E.place) |  
  else  
    Error ;  
}
```

② $E \rightarrow E_1 + E_2$

```
{ E.place = new temp ();  
  Emit (E.place = E1.place + E2.place) //TAC  
}
```

$E.place = t_1$
 $t_1 = t_1 + t_2$

③ $E \rightarrow E_1 * E_2$

```
{ E.place = new temp ();  
  Emit (E.place = E1.place * E2.place) //TAC  
}
```

④ $E \rightarrow (E_1)$

```
{ E.place = E1.place }
```

⑤ $E \rightarrow id$

```
{ P = look_up (id.name);  
  if P ≠ nil then  
    Emit (P = E.place) | error ;  
  else  
    } }
```