JAIPUR ENGINEERING COLLEGE AND RESEARCH CENTER

Class – B.Tech Civil (III SEM)
Subject –Fluid Mechanics
Unit – 1
Presented by – Ashish Boraida (Assistant Professor)

VISION AND MISSION OF INSTITUTE

VISION OF INSTITUTE

To became a renowned centre of outcome based learning and work towards academic professional ,cultural and social enrichment of the lives of indivisuals and communities

MISSION OF INSTITUTE

Focus on evaluation of learining ,outcomes and motivate students to research apptitude by project based learning.

- Identify based on informed perception of indian ,regional and global needs ,the area of focus and provide plateform to gain knowledge and solutions.
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- Offer oppurtunites for interaction between academic and industry .
- Develop human potential to its fullest extent so that intellectually capable and imaginatively gifted leaders may emerge.

VISION AND MISSION OF DEPARTMENT

Vision

To become a role model in the field of Civil Engineering for the sustainable development of the society.

Mission

1)To provide outcome base education.

2)To create a learning environment conducive for achieving academic excellence.

3)To prepare civil engineers for the society with high ethical values.

Introduction, Objective and Outcome of Fluid Mechanics

Objective:

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The primary purpose of the study of Fluid mechanics is to develop the capacity to understand important basic terms used in fluid mechanics, understand hydrostatics and buoyancy with practice of solving problems. Student could be able to understand Kinematics of flow and fluid dynamics, Bernoulli's equation and laminar flow with practice of solving problems in practical life for the benefit of society and mankind.

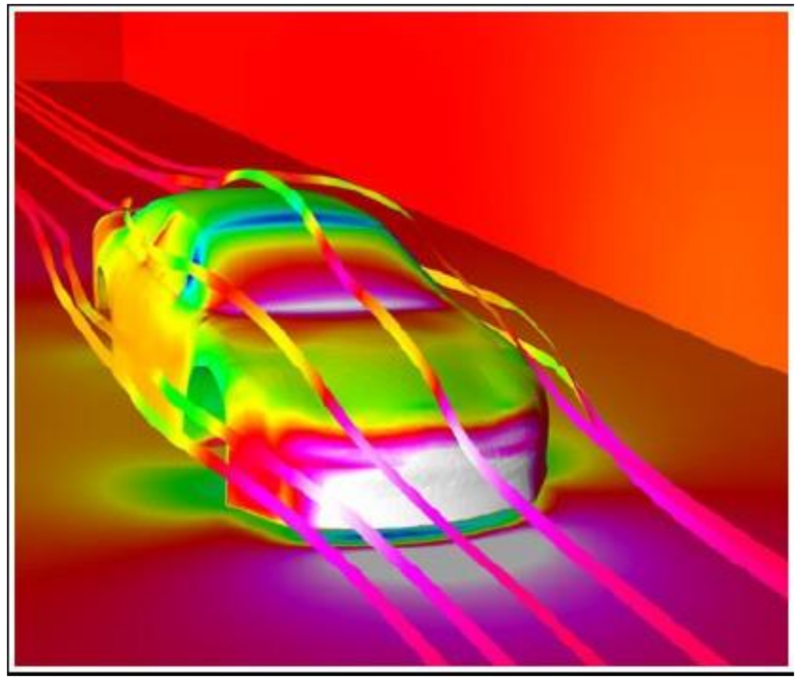
Outcomes

- Student will be able to understand basics of fluid mechanics, types of fluids.
- Student will be able to understand fluid statics and buoyancy.
- Student will be to understand Kinematics of flow and fluid dynamics and solving relevant problems.
- Student will be to understand Bernoulli's equation and laminar flow with practice of solving problems.

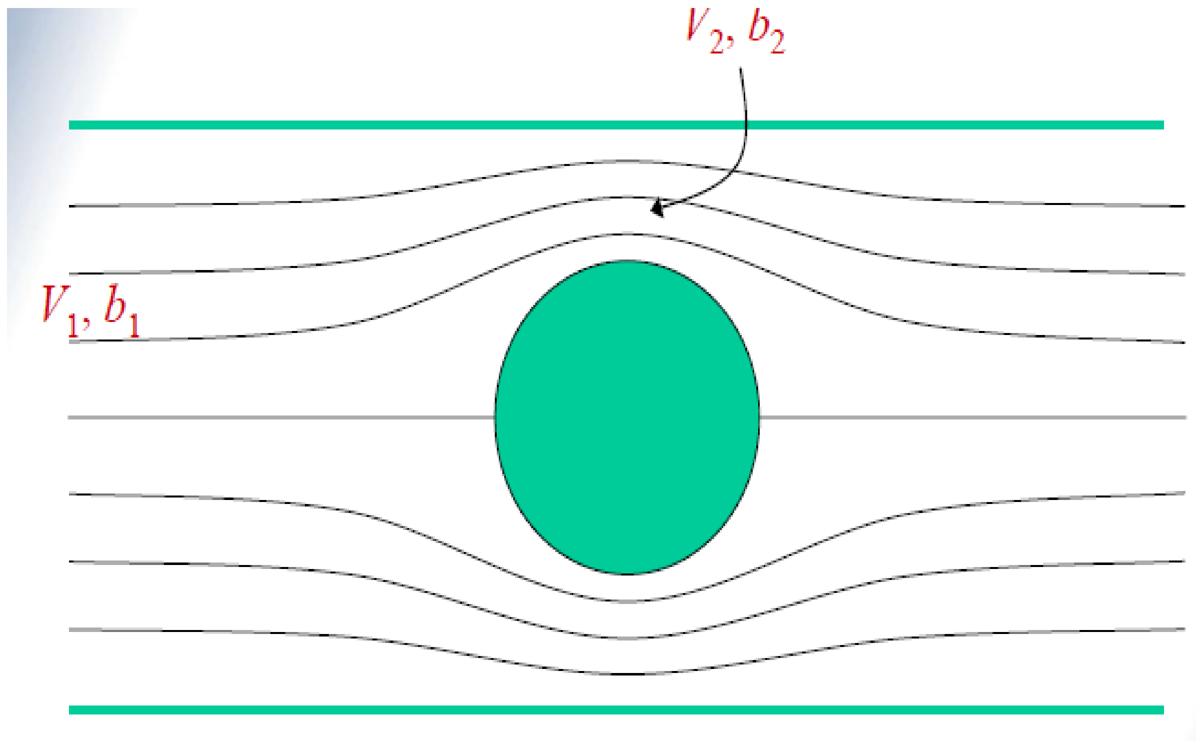
CONTENTS

Fluid Kinematics

- Branch of fluid mechanics which deals with response of fluids in motion without considering forces and energies in them.
- The study of *kinematics* is often referred to as the *geometry of motion.*



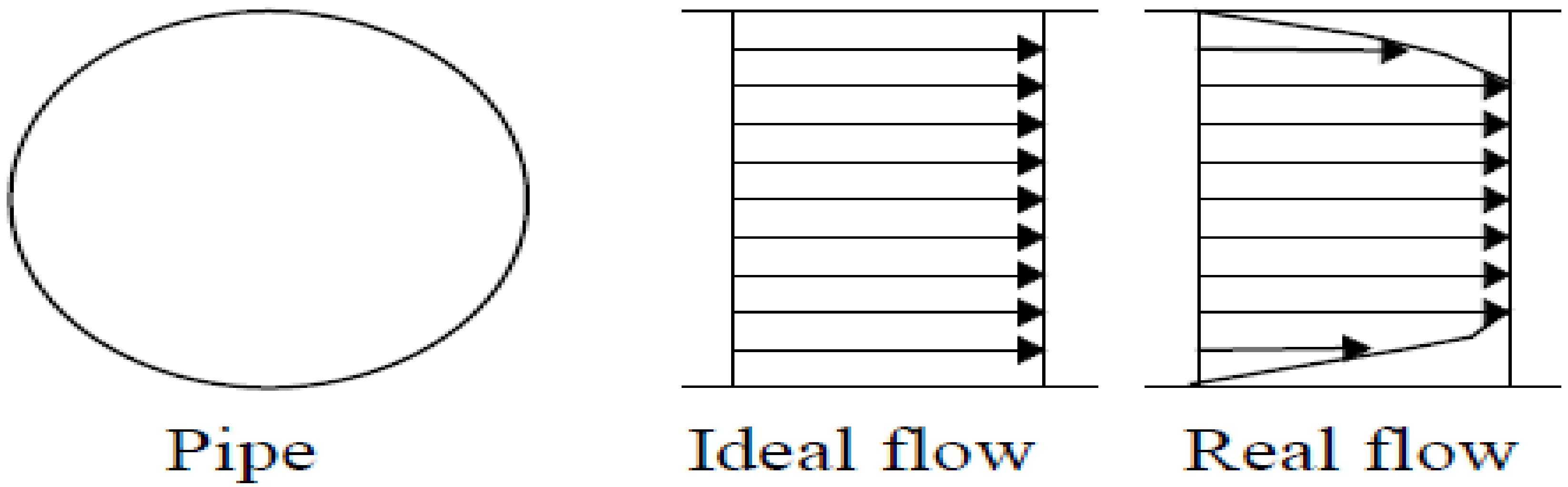
CAR surface pressure contours and streamlines



Flow around cylindrical object

Ideal and Real flow

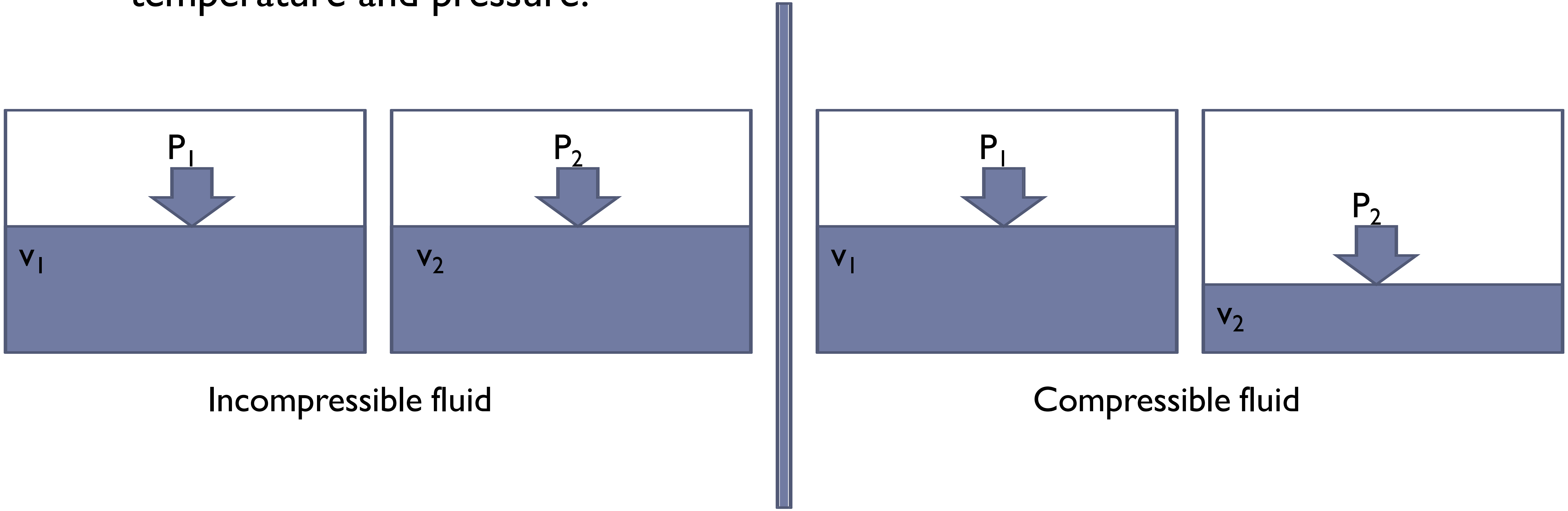
- Real fluid flows implies friction effects. Ideal fluid flow is hypothetical; it assumes no friction.



Velocity distribution of pipe flow

Compressible and incompressible flows

- Incompressible fluid flows assumes the fluid have constant density while in compressible fluid flows density is variable and becomes function of temperature and pressure.

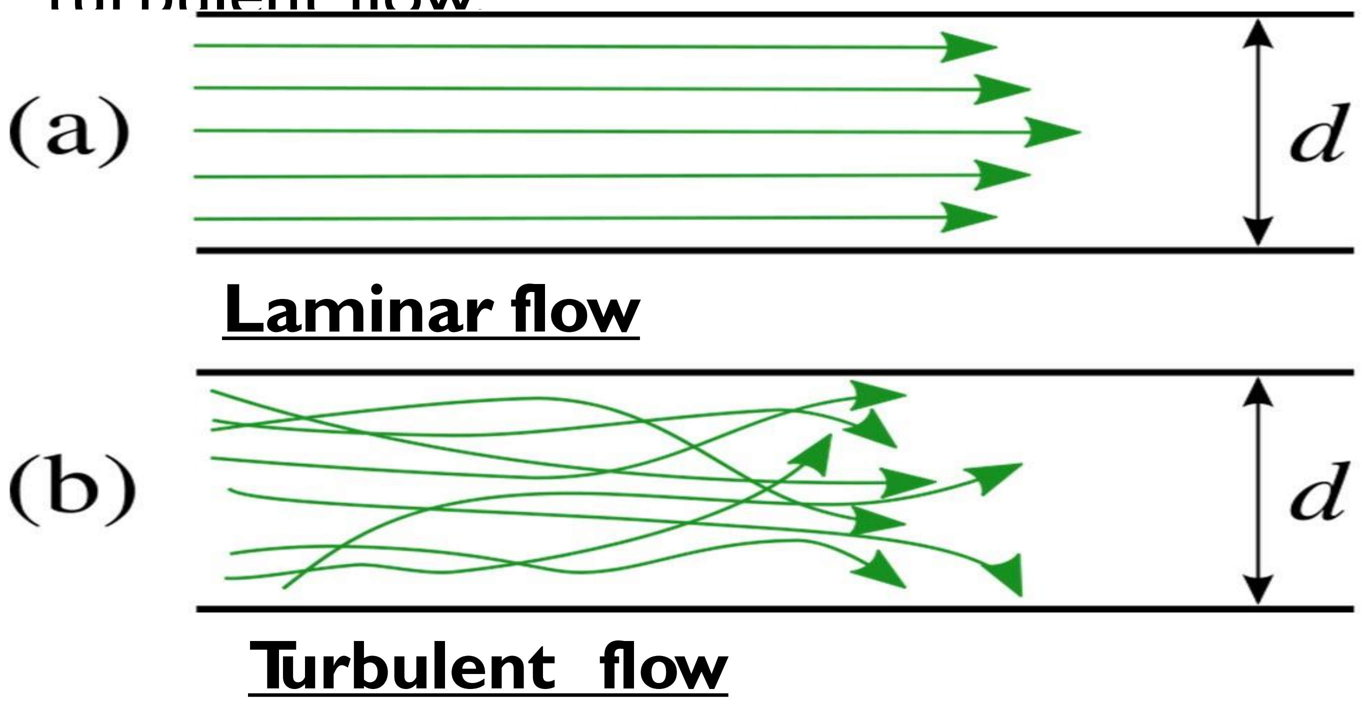


Incompressible fluid

Compressible fluid

Laminar and turbulent flow

- The flow in laminations (layers) is termed as laminar flow while the case when fluid flow layers intermix with each other is termed as turbulent flow.



- Reynold's number is used to differentiate between laminar and turbulent flows.

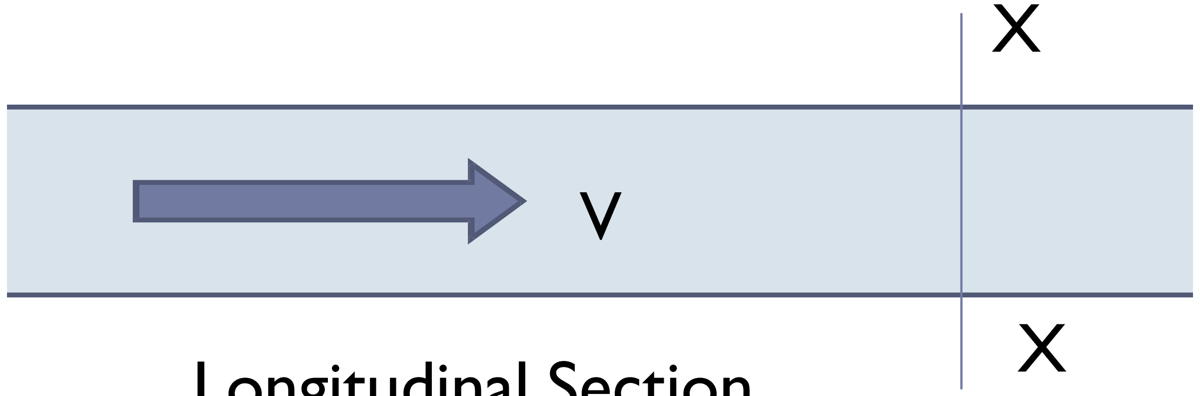
Transition of flow from Laminar to turbulent

Steady and Unsteady flows

- **Steady flow:** It is the flow in which conditions of flow remains constant w.r.t. time at a particular section but the condition may be different at different sections.
- Flow conditions: velocity, pressure, density or cross-sectional area etc.
- e.g., A constant discharge through a pipe.
- **Unsteady flow:** It is the flow in which conditions of flow changes

w.r.t. time at a particular section.

- e.g., A variable discharge through a pipe



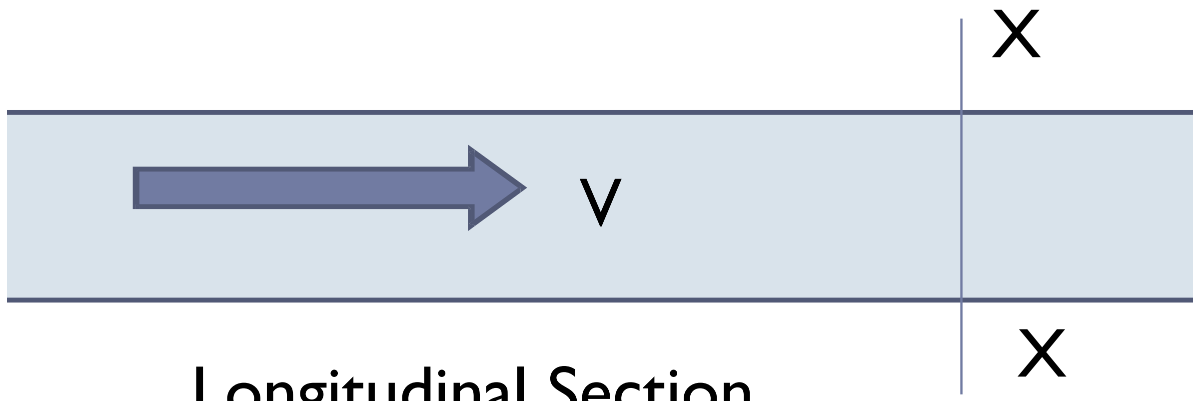
Longitudinal Section

$$\frac{\partial V}{\partial t} = 0; \Rightarrow V = contt$$

$$\frac{\partial V}{\partial t} \neq 0; \Rightarrow V = \text{variable}$$

Uniform and Non-uniform flow

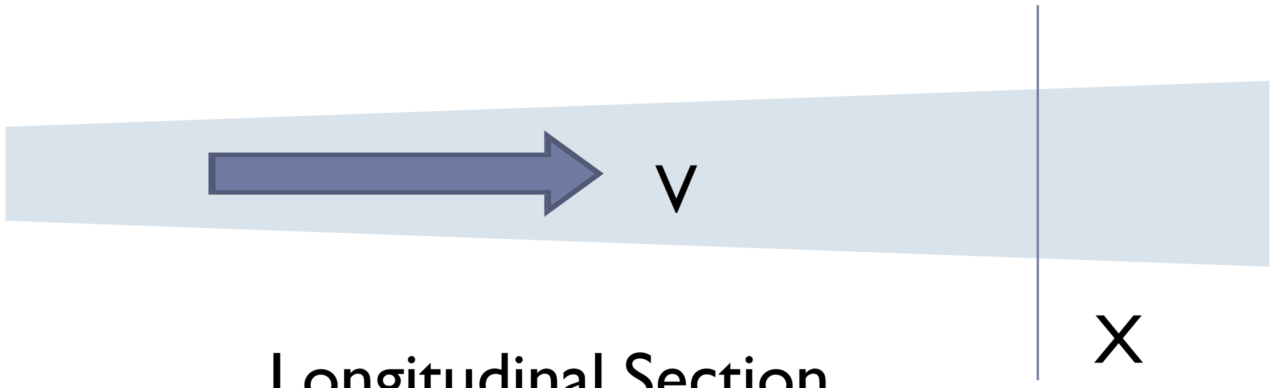
- **Uniform flow:** It is the flow in which conditions of flow remains constant from section to section.
- e.g., Constant discharge though a constant diameter pipe



Longitudinal Section

$$\frac{\partial V}{\partial x} = 0; \Rightarrow V = contt$$

- **Non-uniform flow:** It is the flow in which conditions of flow does not remain constant from section to section.
- e.g., Constant discharge through variable diameter pipe

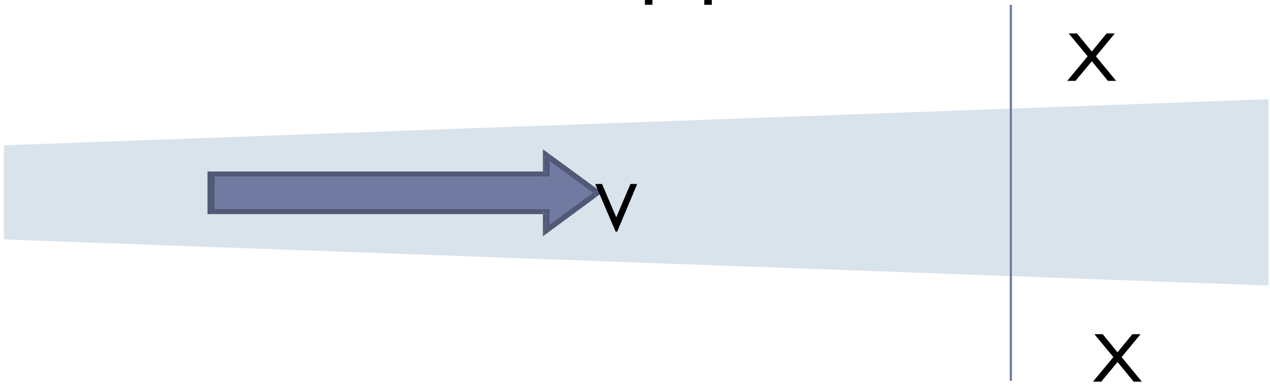


Longitudinal Section

$$\frac{\partial V}{\partial x} \neq 0; \Rightarrow V = \text{variable}$$

Describe flow condition

- Constant discharge though non variable diameter pipe



Longitudin

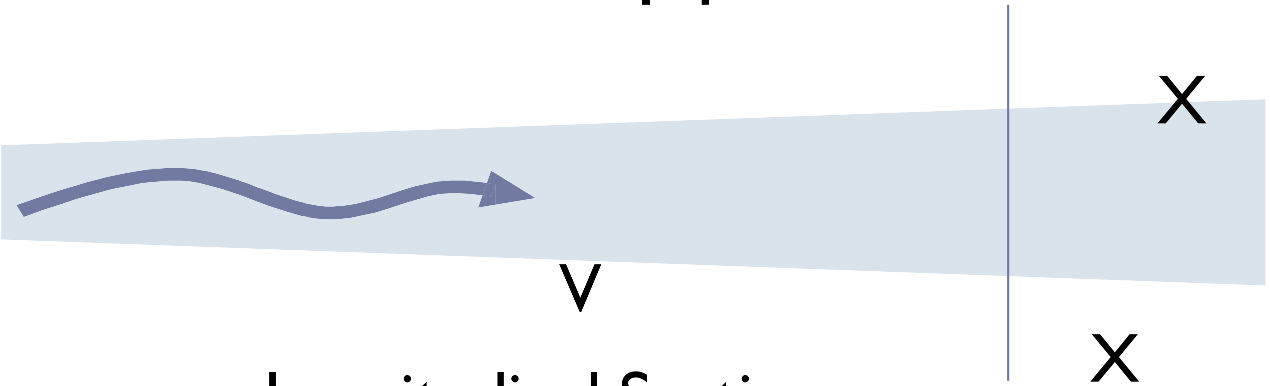
al Section

Steady

Steady-non-uniform flow

flow !!

- Variable discharge though non variable diameter pipe



Longitudinal Section

Unsteady flow !!

Non-uniform flow !!

unsteady-non-uniform flow

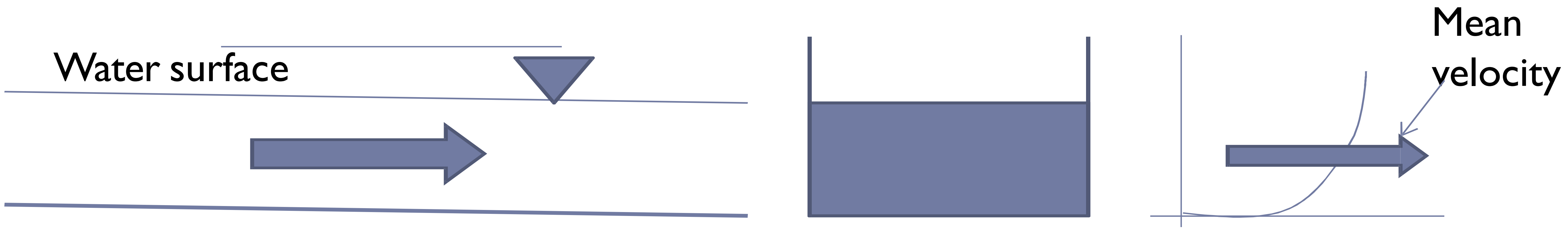
!!

Flow Combinations

Type	Example
1. Steady Uniform flow	Flow at constant rate through a duct of uniform cross-section
2. Steady non-uniform flow	Flow at constant rate through a duct of non-uniform cross-section (tapering pipe)
3. Unsteady Uniform flow	Flow at varying rates through a long straight pipe of uniform cross-section.
4. Unsteady non-uniform flow	Flow at varying rates through a duct of non-uniform cross-section.

One, Two and Three Dimensional Flows

- Although in general all fluids flow three-dimensionally, with pressures and velocities and other flow properties varying in all directions, in many cases the greatest changes only occur in two directions or even only in one. In these cases changes in the other direction can be effectively ignored making analysis much more simple.
- Flow is *one dimensional if the flow parameters (such as velocity, pressure, depth etc.) at a given instant in* time only vary in the direction of flow and not across the cross-section



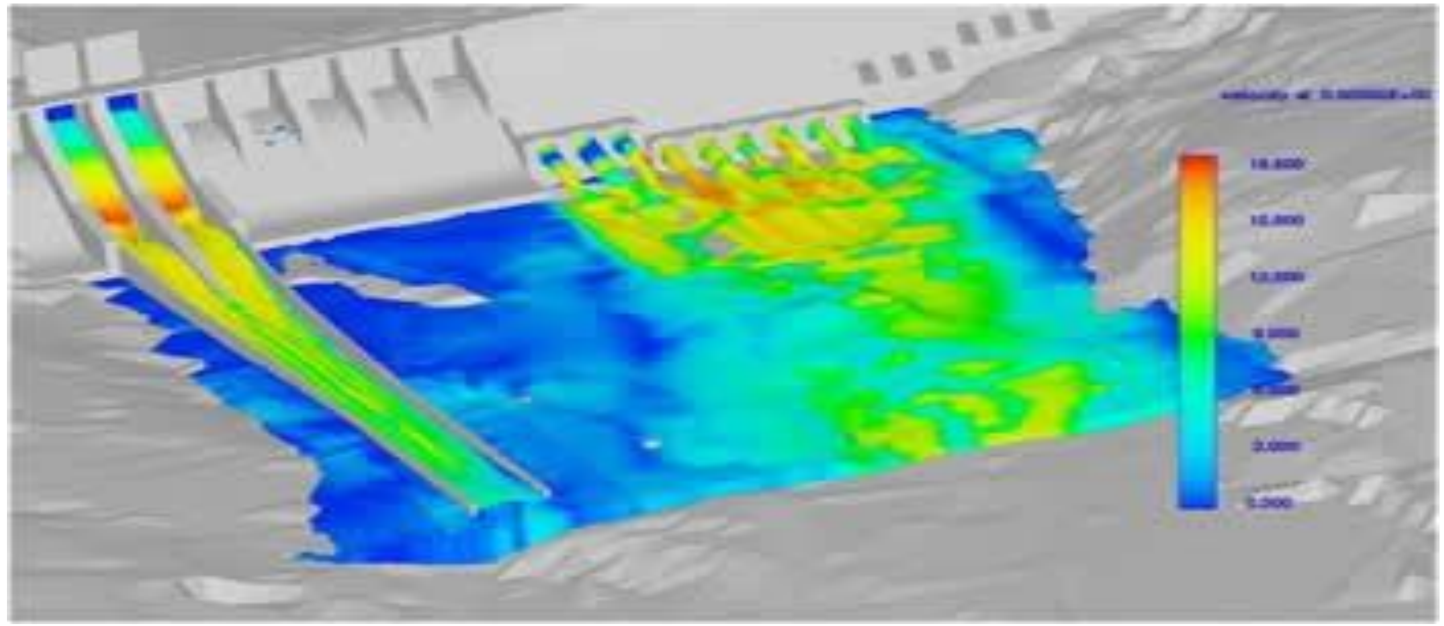
Longitudinal section of rectangular channel — Cross-section — Velocity profile

One, Two and Three Dimensional Flows

- Flow is *two-dimensional* *if it can be assumed that the flow parameters vary in the direction of flow and in* one direction at right angles to this direction

Two-dimensional flow over a weir

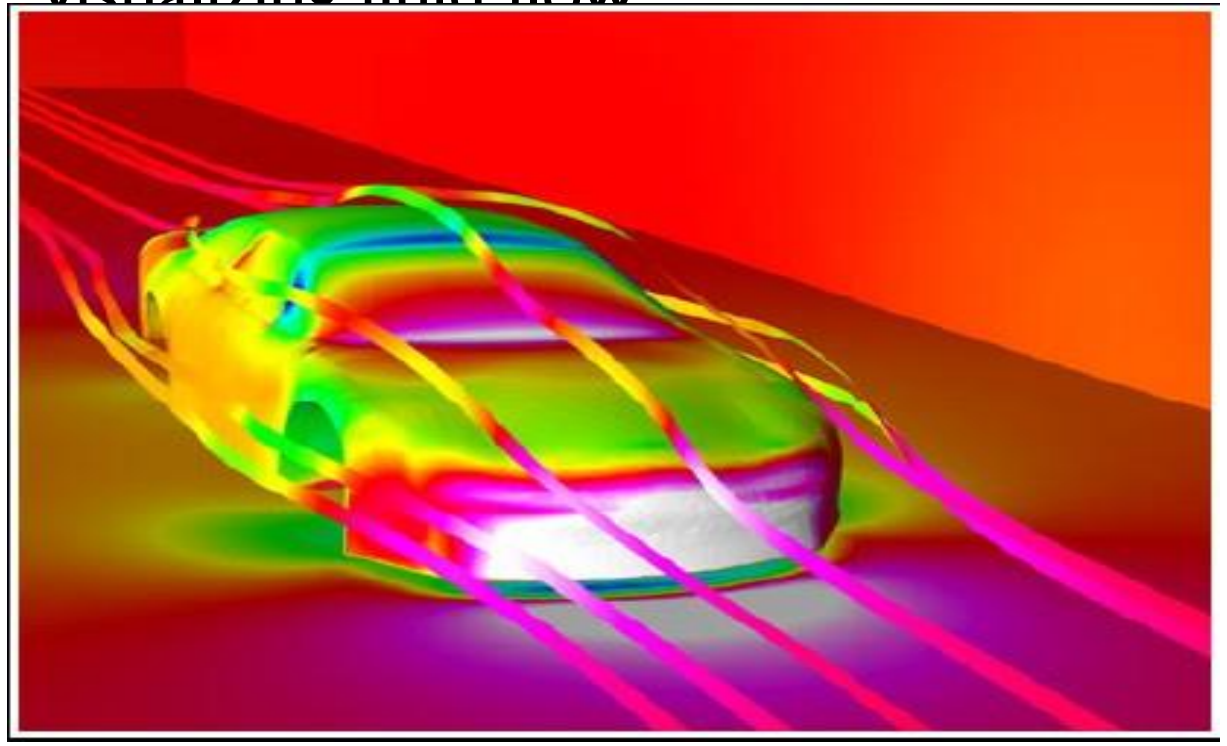
- Flow is *three-dimensional* *if the flow parameters vary in all three directions of flow*



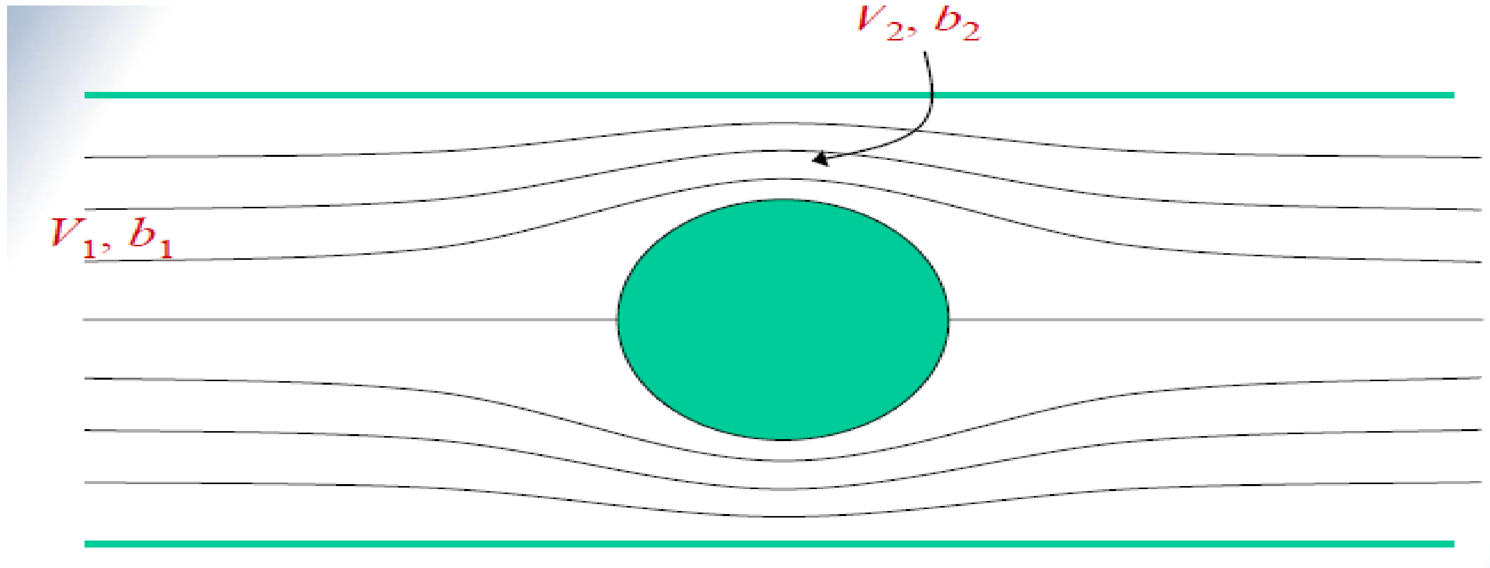
Three-dimensional flow in stilling basin

Visualization of flow Pattern

- The flow velocity is the basic description of how a fluid moves in time and space, but in order to **visualize the flow pattern** it is useful to define some other properties of the flow. These definitions correspond to various experimental methods of visualizing fluid flow

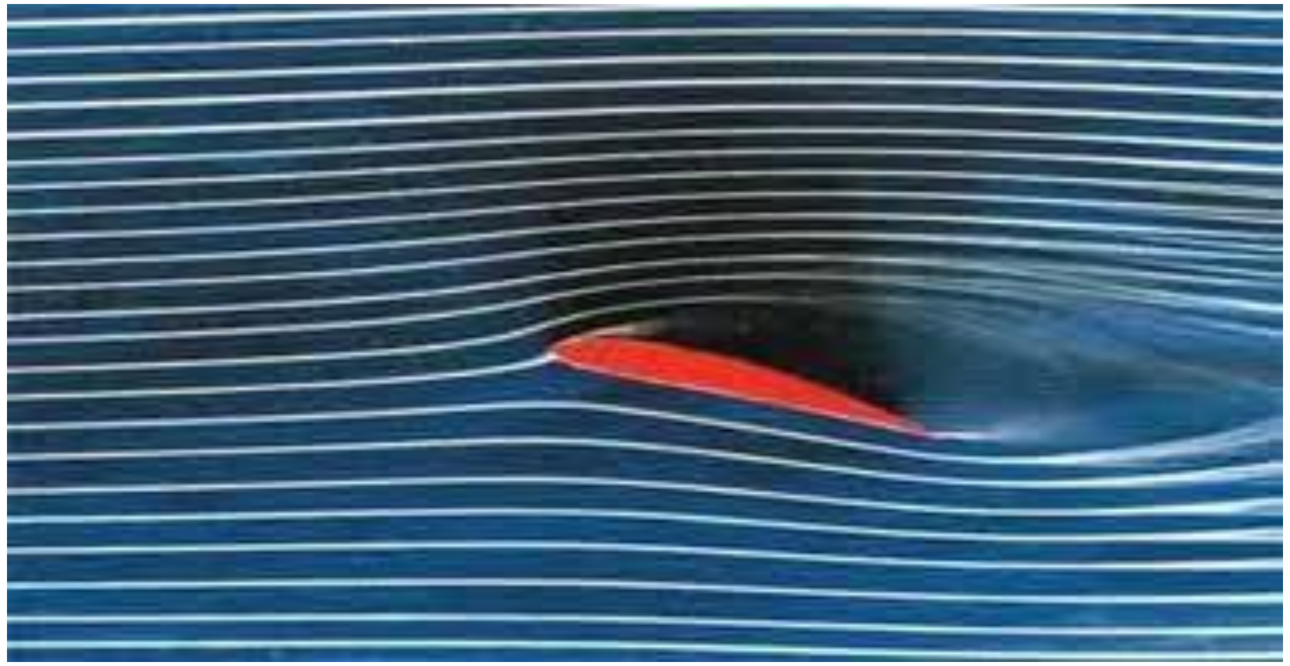


CAR surface pressure contours and streamlines



Flow around cylindrical object

Visualization of flow Pattern

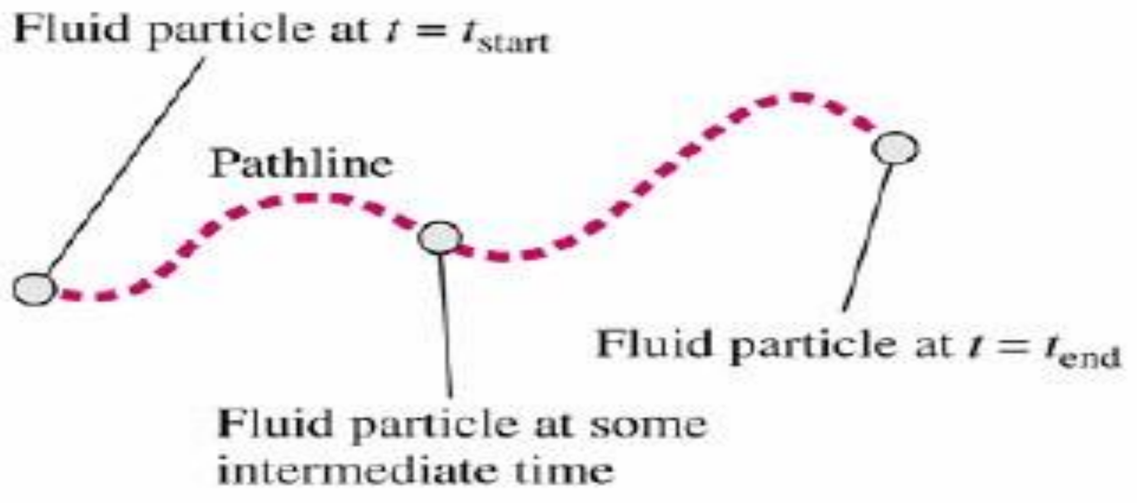


Streamlines around a wing shaped body

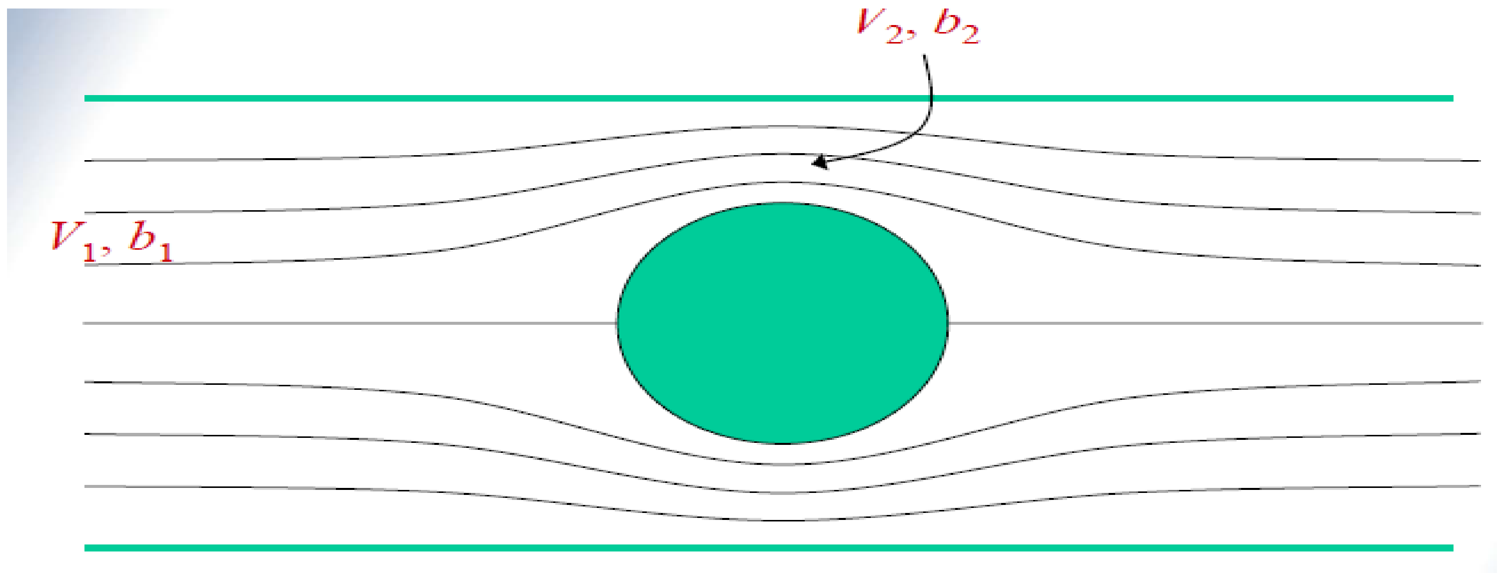
Flow around a skiing athlete

Path line and stream line

- **Pathline:** It is trace made by single particle over a period of time.
- **Streamline** show the mean direction of a number of particles at the same instance of time.



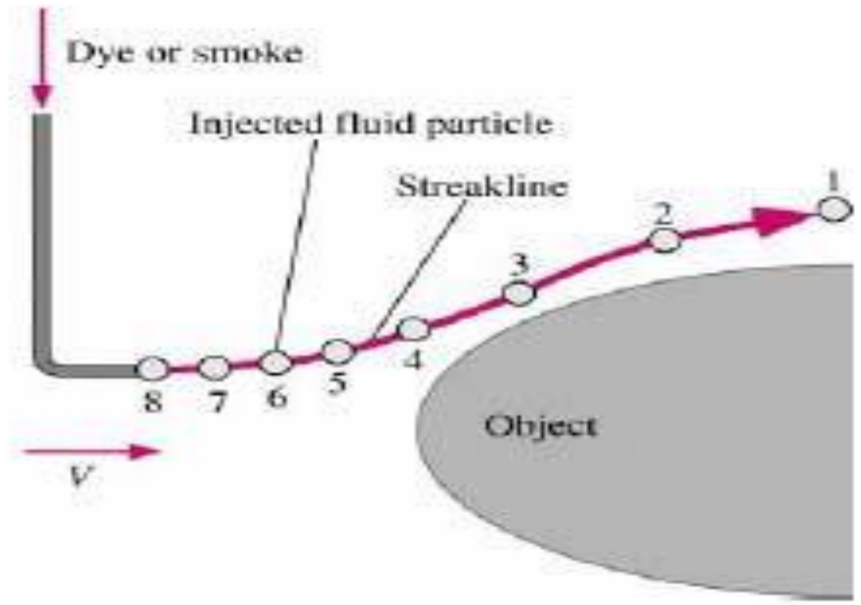
- **Character of Streamline**
- 1. Streamlines can not cross each other. (otherwise, the cross point will have two tangential lines.)
- 2. Streamline can't be a folding line, but a smooth curve.
- 3. Streamline cluster density reflects the magnitude of velocity. (Dense streamlines mean large velocity; while sparse streamlines mean small velocity.)



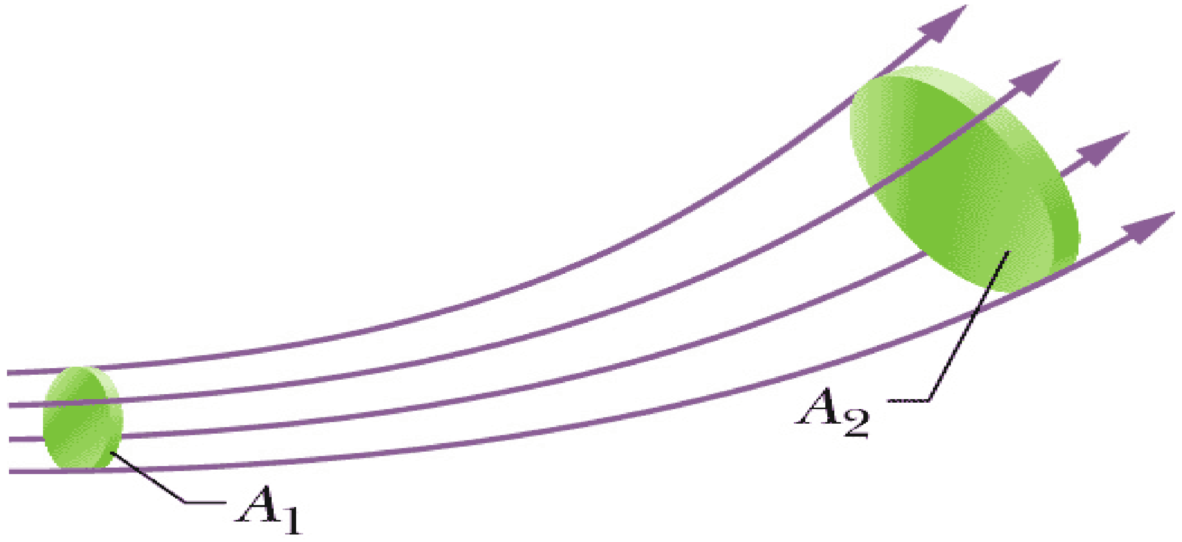
Flow around cylindrical object

Streakline and streamtubes

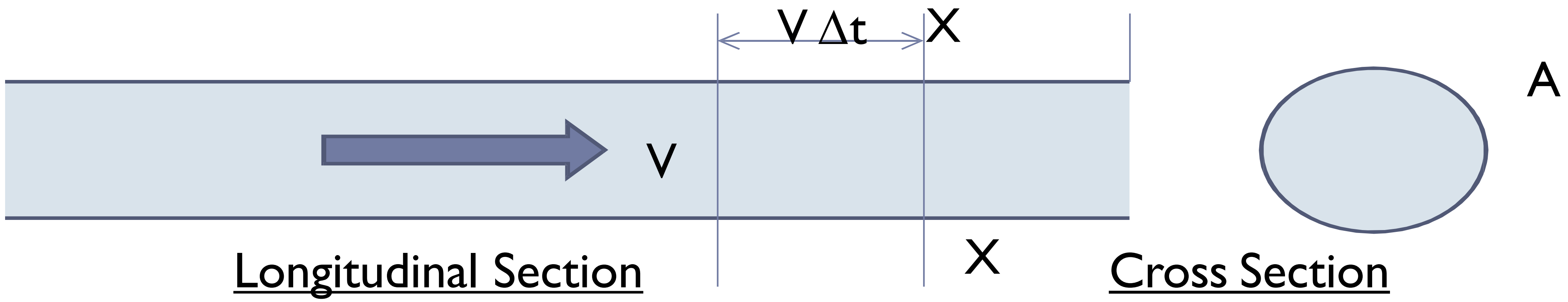
- A **Streakline** is the locus of fluid particles that have passed sequentially through a prescribed point in the flow.
- It is an instantaneous picture of the position of all particles in flow that have passed through a given point.



- **Streamtube** is an imaginary tube whose boundary consists of streamlines.
- The volume flow rate must be the same for all cross sections of the stream tube.



Mean Velocity and Discharge



- Let's consider a fluid flowing with mean velocity, V, in a pipe of uniform cross-section. Thus volume of fluid that passes through section XX in unit time, Δt, becomes;

$$\text{Volume of fluid} = (\Delta t V)A$$

- Volume flow rate: $Q = \dfrac{\text{volume of fluid}}{\text{time}} = \dfrac{(\Delta t V)A}{\Delta t}$

$$Q = AV$$

Similarly

$$M = \rho AV$$

$$G = \gamma AV$$

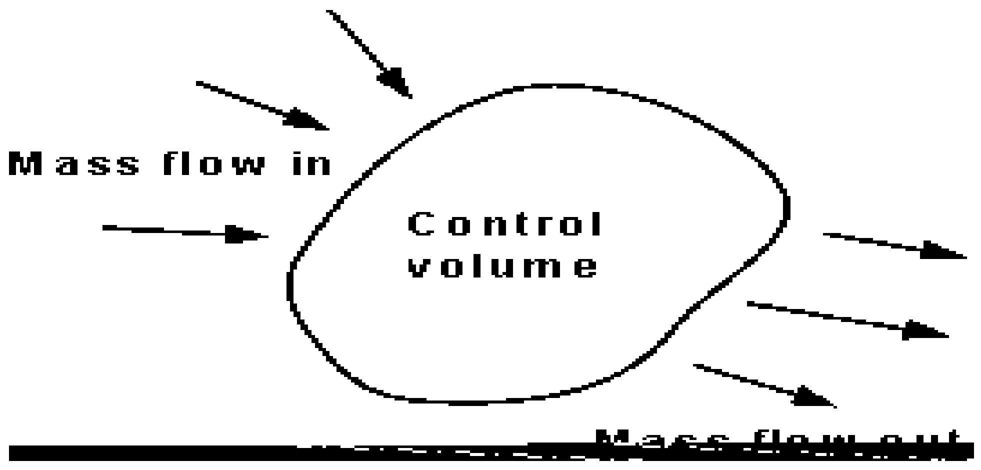
Fluid System and Control Volume

- **Fluid system** refers to a specific mass of fluid within the boundaries defined by close surface. The shape of system and so the boundaries may change with time, as when fluid moves and deforms, so the system containing it also moves and deforms.

- **Control volume** refers to a fixed region in space, which does not move or change shape. It is region in which fluid flow into and out.

Continuity

- Matter cannot be created or destroyed
- (it is simply changed in to a different form of matter).
- This principle is know as the *conservation of mass* and we use it in the analysis of flowing fluids.
- The principle is applied to fixed volumes, known as control volumes shown in figure:



An arbitrarily shaped control volume.

For any control volume the principle of conservation of mass says

Mass entering per unit time -Mass leaving per unit time

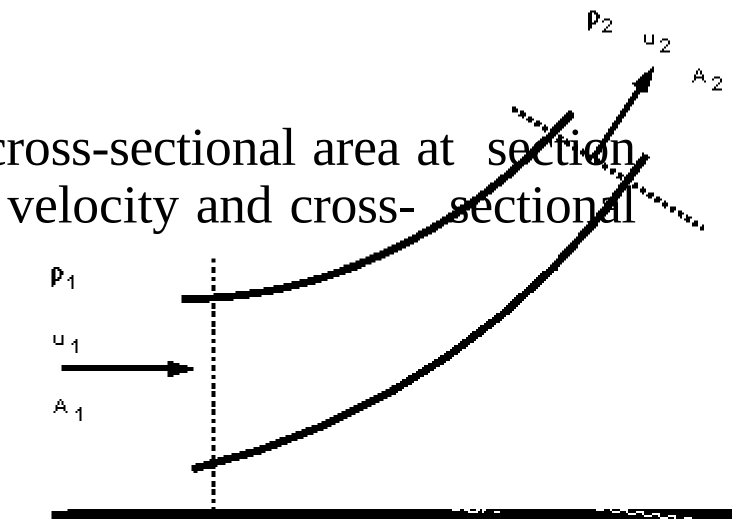
= Increase of mass in the control volume per unit time

Continuity Equation

- For steady flow there is no increase in the mass within the control volume, so

Mass entering per unit time = Mass leaving per unit time

- **Derivation:**
- Lets consider a stream tube.
- ρ_1, v_1 and A_1 are mass density, velocity and cross-sectional area at section 1. Similarly, ρ_2, v_2 and A_2 are mass density, velocity and cross- sectional area at section 2.
- According to mass conservation



A stream tube

$$M_1 - M_2 = \frac{d(M_{CV})}{dt}$$

$$\rho_1 A_1 V_1 - \rho_2 A_2 V_2 = \frac{d(M_{CV})}{dt}$$

$$M_1 = \rho_1 A_1 V_1$$

$$M_2 = \rho_2 A_2 V_2$$

Continuity Equation

- For steady flow condition $d(M_{CV})/dt = 0$

  $\rho_1 A_1 V_1 - \rho_2 A_2 V_2 = 0 \Rightarrow \rho_1 A_1 V_1 = \rho_2 A_2 V_2$

- $M = \rho_1 A_1 V_1 = \rho_2 A_2 V_2$
- Hence, for stead flow condition,mass flow rate at section 1= mass flow rate at section 2. i.e., mass flow rate is constant.
- Similarly $G = \rho_1 g A_1 V_1 = \rho_2 g A_2 V_2$

- Assuming incompressible fluid, $\rho_1 = \rho_2 = \rho$

$$A_1 V_1 = A_2 V_2 \Rightarrow Q_1 = Q_2 \Rightarrow Q_1 = Q_2 = Q_3 = Q_4$$

- Therefore, according to mass conservation for steady flow of incompressible fluids volume flow rate remains same from section to section.

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Thank you!

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